On the performance of the algebraic optimized Schwarz preconditioning methods

L. Laayouni¹, and D. B. Szyld²

 School of Science and Engineering, Al Akhawayn University, Avenue Hassan II, 53000. P.O. Box 1630, Ifrane, Morocco l.laayouni@aui.ma
Department of Mathematics, Temple University (038-16)
1805 N. Broad Street, Philadelphia, Pennsylvania 19122-6094, USA szyld@temple.edu

The Algebraic Optimized Schwarz Methods (AOSM) have been introduced in [1]. These methods mimic in the algebraic form the well-known optimized Schwarz methods (OMS). The AOSM methods are based on the modification of the block matrices associated to the transmission conditions between sub-domains. The transmission blocks are replaced by modified blocks to improve the convergence of the corresponding methods. In the optimal case, the convergence can be achieved in two iterations. We are interested in how the algebraic optimized Schwarz methods, used as preconditioner solvers, perform in solving partial differential equations. We are also interested in their asymptotic behavior with respect to change in problems parameters. We will present different numerical simulations corresponding to different type of problems in two- and three-dimensions.

References

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